

1.	4(a)	$[f(x) =] \pm 4(x+2)(x-1)(x-3)$	3	B1 for \pm B1 for 4 B1 for $(x+2)(x-1)(x-3)$
	Question	Answer	Marks	Guidance
	4(b)(i)		3	B1 for 2 V shapes which intersect twice in the first quadrant, with vertices on the x-axis, must be straight lines, not curves. B1 for -0.5 and 1 on the x-axis B1 for 1 and 4 on the y-axis
	4(b)(ii)	$2x + 1 = 4(x - 1)$	M1	For attempt to solve to get $x =$
		$x = 2.5$	A1	
		$2x + 1 = -4(x - 1)$ oe	M1	For attempt to solve to get $x =$
		$x = 0.5$	A1	
		Alternative $4x^2 + 4x + 1 = 16x^2 - 32x + 16$	(M1)	For attempt to square each equation and equate
		$12x^2 - 36x + 15 = 0$ oe	(M1)	Dep on previous M mark for attempt to simplify to a 3-term quadratic equation, equated to zero and attempt to solve
		$x = 2.5 \quad x = 0.5$	(A2)	A1 for each

2.	$f(x) = -2x + 5$ or $g(x) = x - 1$ soi	B1	
	Uses correct $f(x)$ and $g(x)$ to find the critical value 2 soi	B1	
	Valid method to find other CV e.g. $2x - 5 * x - 1$ oe seen, where * is = or any inequality sign	M1	FT <i>their</i> equations of form $y = mx + c$, for non-zero m and c ; dep on first B1
	Correct critical value 4 soi	A1	
	$2 \leq x \leq 4$ mark final answer	A1	
	Alternative method 1		
	$f(x) = 2x - 5$ or $g(x) = x - 1$ soi	(B1)	
	Uses correct $f(x)$ and $g(x)$ to find the critical value 4 soi	(B1)	
	Valid method to find other CV e.g. $-2x + 5 * x - 1$ oe seen, where * is = or any inequality sign	(M1)	FT <i>their</i> equations of form $y = mx + c$, for non-zero m and c ; dep on first B1
	Correct critical value 2 soi	(A1)	
	$2 \leq x \leq 4$ mark final answer	(A1)	
	Alternative method 2		
	$f(x) = -2x + 5$ or $2x - 5$ OR $g(x) = x - 1$ soi	(B1)	
	Squares, equates, simplifies correct $f(x)$ and $g(x)$: $3x^2 - 18x + 24[*0]$	(B1)	where * is = or any inequality sign
	Attempts to solve or factorise	(M1)	FT <i>their</i> 3-term quadratic from $(ax + b)^2 = (cx + d)^2$ for non-zero a, b, c and d ; dep on first B1
	Correct critical values 2, 4	(A1)	
	$2 \leq x \leq 4$ mark final answer	(A1)	


3.	2(a)	$2\left(x + \frac{1}{4}\right)^2 - \frac{121}{8}$	2	B1 for $a = \frac{1}{4}$ B1 for $b = -\frac{121}{8}$
	2(b)	$\left(-\frac{1}{4}, -\frac{121}{8}\right)$	2	FTB1 for each, follow through on <i>their</i> a and b from (a) or SC1 if differentiation is used ie $\frac{dy}{dx} = 4x + 1 = 0$ then $\left(-\frac{1}{4}, -\frac{121}{8}\right)$
	2(c)		3	B1 for a correct shape. Must have the parabola part of the curve in the first and second quadrant with cusps and correct curvature and a max in the 2 nd quadrant. Ignore labelling of their maximum point if incorrect coordinates B1 for a curve $\left(\frac{5}{2}, 0\right)$ and $(-3, 0)$ B1 for a curve $(0, 15)$
	2(d)	$k = \frac{121}{8}$	B1	FT Follow through on <i>their</i> $-b$

4.	2(a)	$2\left(x + \frac{1}{4}\right)^2 - \frac{121}{8}$	2	B1 for $a = \frac{1}{4}$ B1 for $b = -\frac{121}{8}$
	2(b)	$\left(-\frac{1}{4}, -\frac{121}{8}\right)$	2	FTB1 for each, follow through on <i>their</i> a and b from (a) or SC1 if differentiation is used ie $\frac{dy}{dx} = 4x + 1 = 0$ then $\left(-\frac{1}{4}, -\frac{121}{8}\right)$
	2(c)		3	B1 for a correct shape. Must have the parabola part of the curve in the first and second quadrant with cusps and correct curvature and a max in the 2 nd quadrant. Ignore labelling of their maximum point if incorrect coordinates B1 for a curve $\left(\frac{5}{2}, 0\right)$ and $(-3, 0)$ B1 for a curve $(0, 15)$
	2(d)	$k = \frac{121}{8}$	B1	FT Follow through on <i>their</i> $-b$

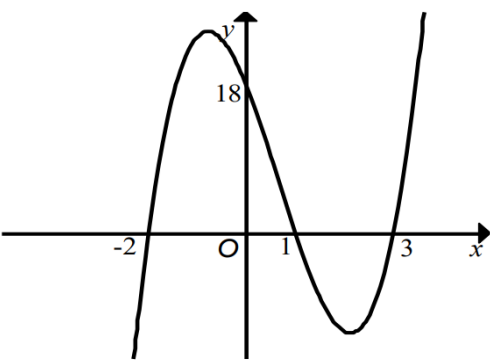
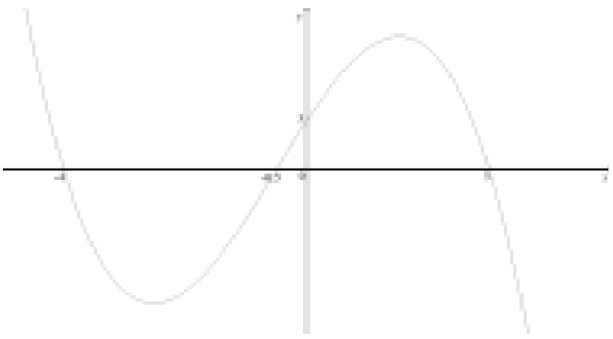
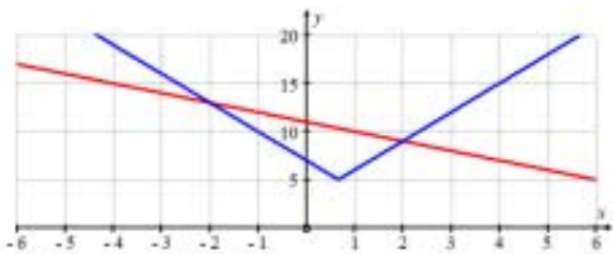
5.	$2x^2 - 8x + 3x - 12 * 3x^2 - 3x + 4x - 4$	B1	Correctly expands all brackets * is any inequality or equals sign
	$[0*] x^2 + 6x + 8$	B1	Collects terms to correct 3-term quadratic in solvable form
	$[0*](x + 2)(x + 4)$	M1	Factorises or solves <i>their</i> 3-term quadratic
	-4 and -2	A1	Correct critical values
	$-4 < x < -2$ mark final answer	A1	

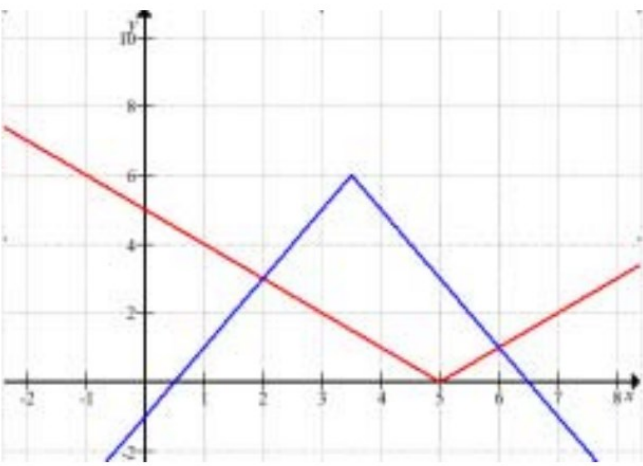
6.	1(a)		3	B1 for a well-drawn cubic graph in the correct orientation with both arms extending beyond x -axis B1 for $x = -1$, $x = 2$ and $x = \frac{2}{3}$ either on the graph or stated with a cubic graph B1 for $y = 20$ either on the graph or stated with a cubic graph
	1(b)	$-1 < x < \frac{2}{3}$	B1	Must be found from a cubic graph
		$x > 2$	B1	

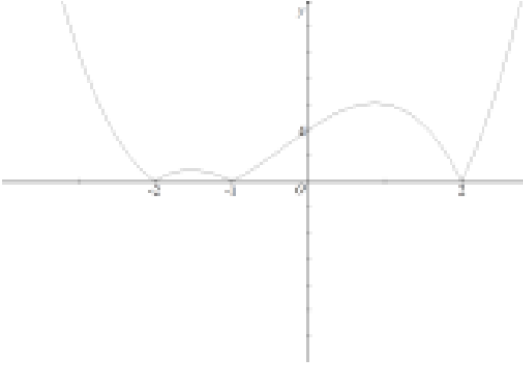
7.	2(a)		2	B1 for symmetrical V shape in the correct quadrant, touching the x -axis. Must have straight lines. B1 for $x = \frac{4}{3}$ and $y = 4$ only, either seen or stated on a modulus graph.
	2(b)	$x \leq -1$, $x \geq \frac{11}{3}$ or 3.67 or better	3	B1 for -1 from a correct method. B1 for $\frac{11}{3}$ or 3.67 or better, from a correct method.

8.	2(a) 	3	<p>B1 for the graph of either $y = \left \frac{2}{5}x \right$ or $y = x - 3$, must be straight lines, not curves.</p> <p>B1 for 2 correct graphs with 2 points of intersection only in the first quadrant soi.</p> <p>B1 for (0, 3) and (3, 0), must have the correct graph of $y = x - 3$.</p>
	2(b) $\frac{2}{5}x = \pm(x-3)$ or $\left(\frac{2}{5}x\right)^2 = (x-3)^2$ $x = 5, x = \frac{15}{7}$ or 2.14 or better	2	B1 for each.

9.	3(a) $4x - 1 * 9$ oe and $4x - 1 * -9$ oe OR $16x^2 - 8x - 80 * 0$ oe soi	M1	where * could be = or any inequality sign
	3(b) $(2\sqrt{x} - 3)(\sqrt{x} - 4)$ or $x = u^2$ and $(2u - 3)(u - 4)$ oe soi $\sqrt{x} = \frac{3}{2}, \sqrt{x} = 4$ oe $x = \frac{9}{4}, x = 16$ Alternative $(2x + 12)^2 = \left(11x^{\frac{1}{2}}\right)^2$ simplified to $4x^2 - 73x + 144 = 0$ solves 3 term quadratic in x $x = \frac{9}{4}, x = 16$	A2 A1 B1 (M1) (M1) (A1)	not from wrong working A1 for CV $\frac{5}{2}, -2$ oe If M0 then SC1 for any correct inequality with at most one extra inequality FT their \sqrt{x}

10.	<p>2 Correct graph and intercepts</p> 	<p>B3 B1 for correct shape; the ends must extend above and below the x-axis</p> <p>B1 for correct roots indicated; must have attempted a cubic shape</p> <p>B1 for correct y-intercept indicated; must have attempted a cubic shape</p>
11.		<p>3 B1 for a cubic shape with a maximum in the first quadrant, a minimum in the third quadrant, extending into the second and 4th quadrants. The extensions must not curve incorrectly and not lead to a complete stationary point.</p> <p>B1 for x-intercepts $-4, -\frac{1}{2}, 3$ either on diagram or stated but must be with a cubic graph.</p> <p>B1 for y-intercept 3 either on diagram or stated but must be with a cubic graph.</p>
12.	<p>1(a)</p> 	<p>4 M1 for \vee shape of $y = 5 + 3x - 2$ with vertex at $\left(\frac{2}{3}, 5\right)$</p> <p>A1 for correct graph with y-intercept $(0, 7)$</p> <p>M1 for correct straight line for $y = 11 - x$</p> <p>A1 for correct straight line with y-intercept $(0, 11)$</p>
	<p>1(b) $x > 2$ or $x < -2$</p>	<p>B2 Mark final answer for B2</p> <p>B1 FT for exactly two correct critical values or correct FT critical values soi, FT dependent on at least M1 in (a)</p>

13.	<p>1(a)</p> 	<p>4</p> <p>M1 for $y = x - 5$: \vee shape with vertex at (5, 0)</p> <p>A1 Correct graph with y-intercept at (0, 5)</p> <p>M1 for $y = 6 - 2x - 7$: \wedge shape with vertex at (3.5, 6)</p> <p>A1 Correct graph with y-intercept at (0, -1)</p>
13.	<p>1(b)</p> <p>$x < 2$ or $x > 6$ final answer</p>	<p>B2</p> <p>B1 for exactly two correct critical values or B1 FT for exactly two correct FT critical values soi, FT dependent on at least M1 in (a) If the CVs are decimal allow BOD for reasonable values</p>

14.	<p>1</p> 	B1 Shape
		B1 Correct x -coordinates
		B1 Correct y -coordinate and max in first quadrant

15.	<p>1</p> <p>$x^2 - 18x + 45 (= 0)$</p>	B1	Expand and simplify to three terms.
	<p>$(x - 15)(x - 3)(= 0)$ or $x = \frac{18 \pm \sqrt{18^2 - 4 \times 45}}{2}$ or $(x - 9)^2 = -45 + 81$</p>	M1	Factorise or use formula on <i>their</i> 3 term quadratic or complete the square
	<p>$x = 15$ and $x = 3$</p>	A1	
	<p>$x < 3$ or $x > 15$ or $(-\infty, 3) \cup (15, \infty)$</p>	A1	oe Do not accept 'and'. Do not accept $3 > x > 15$. Mark final answer.

16.	1	$x = 3$	B1	
		$2 - 3x = 4 + x$ oe	M1	
		$x = -0.5$ oe	A1	

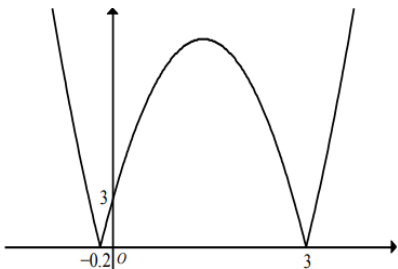
17.	1	$6x^2 + 7x - 20$ [*0]	M1	where * may be any inequality sign or =
		Critical values $\frac{4}{3}, -\frac{5}{2}$	A1	
		$x \leq -\frac{5}{2}$ or $x \geq \frac{4}{3}$ final answer	A1	FT <i>their</i> critical values using outside regions

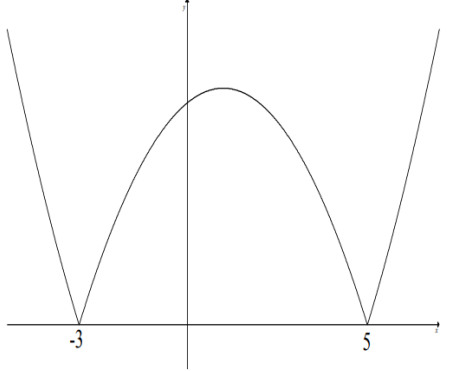
18.	3(i)	Correct shape 0.6 oe indicated on x -axis 3 indicated on y -axis	3	B1 correct shape must have cusp on x -axis B1 for each correct point There must be a sketch to award the marks for the intercepts and sketch should be continuous with one intersection only on each axis
	3(ii)	Solves $5x - 3 = x - 2$ oe or $(5x - 3)^2 = (2 - x)^2$	M1	
		$[x =] \frac{1}{4}$ oe	A1	
	$[x =] \frac{5}{6}$ oe	B1		

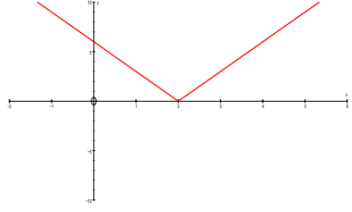
19.	4(i)		B4	B1 for shape, with max in first quadrant B1 for $(-0.5, 0)$ and $(5, 0)$ B1 for $(0, 5)$ B1 all correct, with cusps and correct curvature for $x < 0.5$ and $x > 5$
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4(ii)	$k = 0$	B1	Not from incorrect work
	Stationary point when $y = \pm \frac{121}{8}$ or ± 15.125	M1	For attempt to find y -coordinate of stationary point, must be a complete method i.e. Use of calculus Use of discriminant, Use of completing the square Use of symmetry Allow if seen in part (i), but must be used in (ii)
	$k > \frac{121}{8}$	A1	cao

20.	1	$x = 1$	B1	
		$-3x - 2 = x + 4$ oe	M1	
		$x = -1.5$ oe	A1	

21.	9(i)	$5\left(x - \frac{7}{5}\right)^2 - \frac{64}{5}$	B3	B1 for each of p, q, r correct in correct format; allow correct equivalent values. If B0 , then SC2 for $5\left(x - \frac{7}{5}\right)^2 - \frac{64}{5}$ or SC1 for correct values but incorrect format
	9(ii)		B4	B2 for fully correct shape in correct position or B1 for fully correct shape translated parallel to the x -axis B1 for y -intercept at $(0, 3)$ marked on graph B1 for roots marked on graph at -0.2 and 3
	9(iii)	$0 < k < \left \text{their} \left(-\frac{64}{5} \right) \right $	B2	FT <i>their</i> (i) B1 for any inequality using <i>their</i> $\frac{64}{5}$ or max y value is <i>their</i> 12.8soi

22. 10(a)(i)		B2	B1 for correct shape B1 for roots marked on the graph or seen nearby provided graph drawn and one root is negative and one is positive
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23. 3(i)		B2	B1 for correct shape with vertex at (2,0) Dep B1 for passing through or starting at (0,6)
3(ii)	Either $6 - 3x = 2$ $x = \frac{4}{3}$	B1	For $x = \frac{4}{3}$
	$6 - 3x = -2$	M1	For considering -2
	$x = \frac{8}{3}$	A1	
	Or $9x^2 - 36x + 32 = 0$	M1	For squaring each side and attempt to solve a 3 term quadratic = 0
	$x = \frac{4}{3}$	A1	
	$x = \frac{8}{3}$	A1	
3(iii)	$x < \frac{4}{3}, x > \frac{8}{3}$	B1	FT on <i>their</i> solutions in part (ii), must both be positive and written as 2 separate statements

24.	8(i)		B5	B1 for shape of modulus function B1 for y intercept = 5 (for modulus graph only) B1 for x intercept = 2.5 at the V of a modulus graph B1 for shape of quadratic function for $-1 \leq x \leq 6$ B1 for intercepts at $x = 0$ and $x = 5$ for a quadratic graph
	8(ii)	$2x - 5 = \pm 4$	B1	one correct answer
		$x = \frac{9}{2}$	M1	solution of two different correct linear equations or solution of an equation obtained from squaring both sides or use of symmetry from first solution.
		$x = \frac{1}{2}$	A1	second correct solution
	8(iii)	$16\left(\frac{1}{2}\right)^2 - 80\left(\frac{1}{2}\right) + 36 = 4$ and $16\left(\frac{9}{2}\right)^2 - 80\left(\frac{9}{2}\right) + 36 = 4$	B1	verification using both x values or for forming and solving $16x^2 - 80x + 36 = 0$
	8(iv)	using <i>their</i> values from (ii) in an equality of the form $a \leq x \leq b$ or $a < x < b$	M1	
		$\frac{1}{2} \leq x \leq \frac{9}{2}$ cao	A1	

25.	$5x + 3 = 3x - 1$ oe or $5x + 3 = 1 - 3x$ oe	M1	
	$x = -2$ and $x = -0.25$ only mark final answer	A2	nfww A1 for $x = -2$ ignoring extras implies M1 if no extras seen If M0 then SC1 for any correct value with at most one extra value
	Alternative method $(5x + 3)^2 = (1 - 3x)^2$ oe soi	M1	
	$16x^2 + 36x + 8 = 0$ oe	A1	
	$x = -0.25, x = -2$ only; mark final answer	A1	

26.	Correctly obtain a value of $x = 2$	B1	Inequality not required
	Correctly obtain a value of $x = -\frac{1}{2}$	B1	Inequality not required
	$x > 2$ and $x < -\frac{1}{2}$	B1	B1dep mark final answer(s). Allow $2 < x < -\frac{1}{2}$

27.	$3x - 1 = 5 + x$ $x = 3$	B1	
	$3x - 1 = -5 - x$ oe	M1	M1 not earned if incorrect equation(s) present
	$x = -1$	A1	